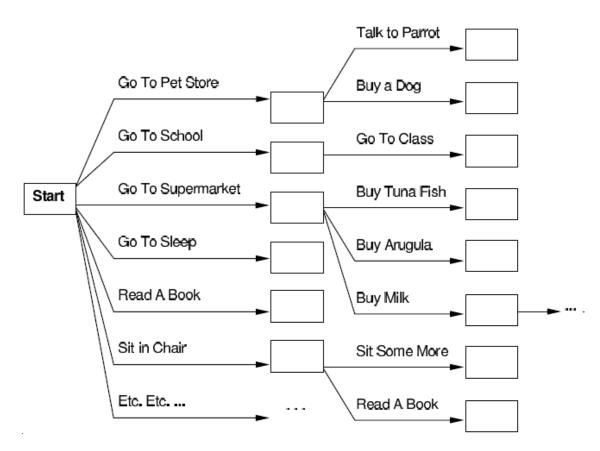


**Planning** 

- Search vs. Planning
- STRIPS (Stanford Research Institute Problem Solver)
- Partial Order Planning
- The Real World
- Conditional Planning
- Monitoring and Replanning

### Outline

- Consider the following task:
  - Get milk, bananas, and a cordless drill
- Standard search algorithms seem to fail miserably



- Actions have requirements & consequences that should constrain applicability in a given state
  - Stronger interaction between actions and states needed

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- Most parts of the world are independent of most other parts
  - Solve subgoals independently

- Actions have requirements & consequences that should constrain applicability in a given state
  - Stronger interaction between actions and states needed
- Most parts of the world are independent of most other parts
  - Solve subgoals independently
- Human beings plan goal-directed; they construct important intermediate solutions first
  - Flexible sequence for construction of solution

#### Planning systems do the following

- Unify action and goal representation to allow selection (use logical language for both)
- Divide-and-conquer by subgoaling
- Relax requirement for sequential construction of solutions

- STRIPS
- STanford Research Institute Problem Solver
  - Tidily arranged actions descriptions
  - Restricted language (function-free literals)
  - Efficient algorithms

**STRIPS** 

- States represented by:
  - Conjunction of ground (function-free) atoms
- Example

At(Home), Have(Bread)

**STRIPS: States** 

#### States represented by:

Conjunction of ground (function-free) atoms

#### Example

At(Home), Have(Bread)

#### Closed world assumption

 Atoms that are not present are assumed to be false

#### Example

• **State:** At(Home), Have(Bread)

Implicitly: ¬Have(Milk), ¬Have(Bananas), ¬Have(Drill) **STRIPS: States** 

### Operator description consists of:

- Action name
  - Positive literal
  - Buy(Milk)
- Precondition
  - Conjunction of positive literals
  - At(Shop)∧Sells(Shop,Milk)
- Effect
  - Conjunction of literals
  - Have(Milk)

# STRIPS: Operators

#### Operator description consists of:

- Action name
  - Positive literal
  - Buy(Milk)
- Precondition
  - Conjunction of positive literals
  - At(Shop) \(\Lambda Sells(Shop, Milk)\)
- Effect
  - Conjunction of literals
  - Have(Milk)
- Operator schema
  - Operator containing variables

STRIPS: Operators

At(p) Sells(p,x)

Buy(x)

Have(x)

### Operator applicability

- **Operator** *o* **applicable in state** *s* **if**:
- There is substitution Subst of the free variables such that
  - Subst(precond(o))  $\subseteq$  s

#### Operator applicability

- Operator o applicable in state s if:
- There is substitution Subst of the free variables such that
  - $Subst(precond(o)) \subseteq s$

#### Example

- Buy(x) is applicable in state
  - At(Shop)\(\Lambda\)Sells(Shop,Milk)\(\Lambda\)Have(Bread)
- with substitution
  - Subst = {p/Shop, x/Milk}

### STRIPS: Operator Application

At(p) Sells(p,x)

Buy(x)

Have(x)

- Resulting state
- Computed from old state and literals in Subst(effect)
  - Positive literals are added to the state
  - Negative literals are removed from the state
  - All other literals remain unchanged (avoids the frame problem)

- Resulting state
- Computed from old state and literals in Subst(effect)
  - Positive literals are added to the state
  - Negative literals are removed from the state
  - All other literals remain unchanged (avoids the frame problem)
- Formally:

- Example
- Application of
  - Drive(a,b)
    - precond: At(a);Road(a,b)
    - effect: At(b), ¬At(a)

#### Example

#### Application of

Drive(a,b)

precond: At(a);Road(a,b)

• effect: At(b), ¬At(a)

#### to state

At(Koblenz), Road(Koblenz;Landau)

#### Example

### Application of

Drive(a,b)

precond: At(a);Road(a,b)

• effect: At(b),  $\neg At(a)$ 

#### to state

At(Koblenz), Road(Koblenz;Landau)

#### results in

At(Landau), Road(Koblenz,Landau)

#### Planning problem

 Find a sequence of actions that make instance of the goal true

#### Nodes in search space

- Standard search:
  - node = concrete world state
- Planning search:
  - node = partial plan

#### (Partial) Plan consists of

- Set of operator applications S<sub>i</sub>
- Partial (temporal) order constraints  $S_i \prec S_i$
- Causal links  $S_i \rightarrow S_i$

#### Meaning:

- " $S_i$  achieves  $c \in precond(S_i)$ "
- (record purpose of steps)

### State Space vs. Plan Space

#### Operators on partial plans

- Add an action and a causal link to achieve an open condition
- Add a causal link from an existing action to an open condition
- Add an order constraint to order one step w.r.t. another

#### Open condition

A precondition of an action not yet causally linked

#### Note

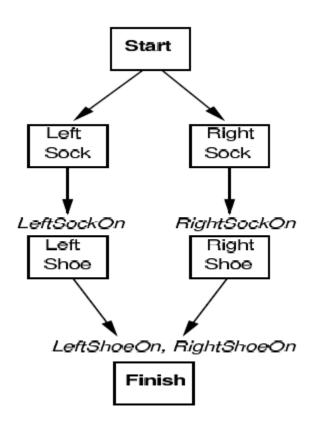
 We move from incomplete/vague plans to complete, correct plans

# State Space vs. Plan Space

- Special steps with empty action
- Start
  - no precond, initial assumptions as effect)
- Finish
  - goal as precond, no effect
- Note
  - Different paths in partial plan are not alternative plans, but alternative sequences of actions



### Partially Ordered Plans



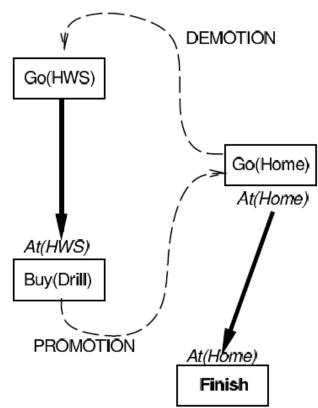
#### Complete plan

- A plan is complete iff every precondition is achieved
- A precondition c of a step  $S_j$  is achieved (by  $S_i$ ) if
  - $S_i \prec S_i$
  - $c \in effect(S_i)$
  - there is no  $S_k$  with  $S_i \prec S_k \prec S_j$  and  $\neg c \in effect(S_k)$
  - (otherwise S<sub>k</sub> is called a clobberer or threat)
- Clobberer / threat
  - A potentially intervening step that destroys the condition achieved by a causal link

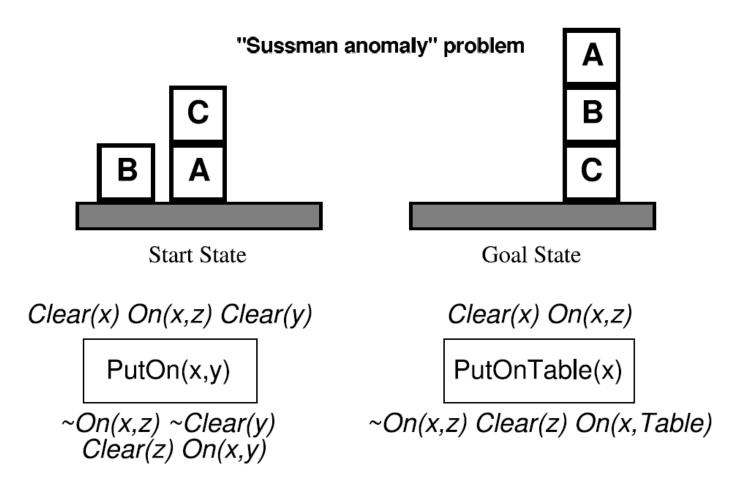
### Partially Ordered Plans

- Example
- Go(Home) clobbers At(HWS)
- Demotion
  - Put before Go(HWS)
- Promotion
  - Put after Buy(Drill)

Clobbering and Promotion / Demotion



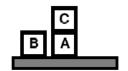
### Example: Blocks world



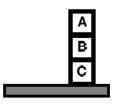
+ several inequality constraints

**Example: Blocks World** 

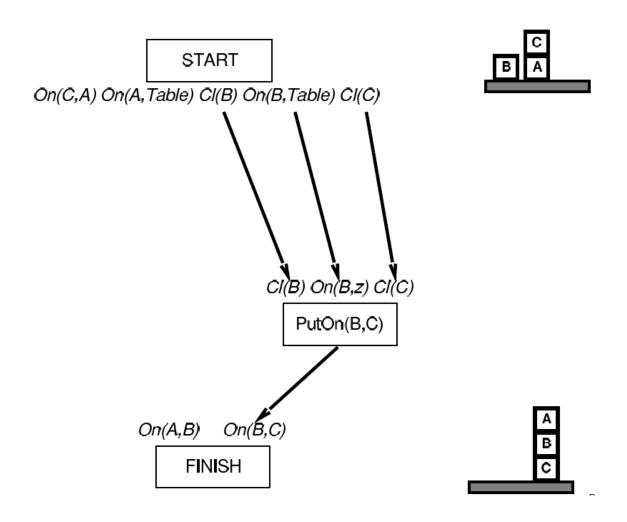
START
On(C,A) On(A,Table) Cl(B) On(B,Table) Cl(C)



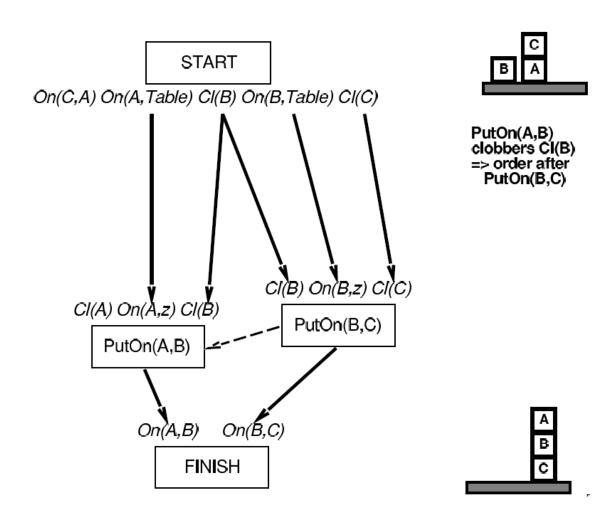
On(A,B) On(B,C)
FINISH



# **Example: Blocks World**

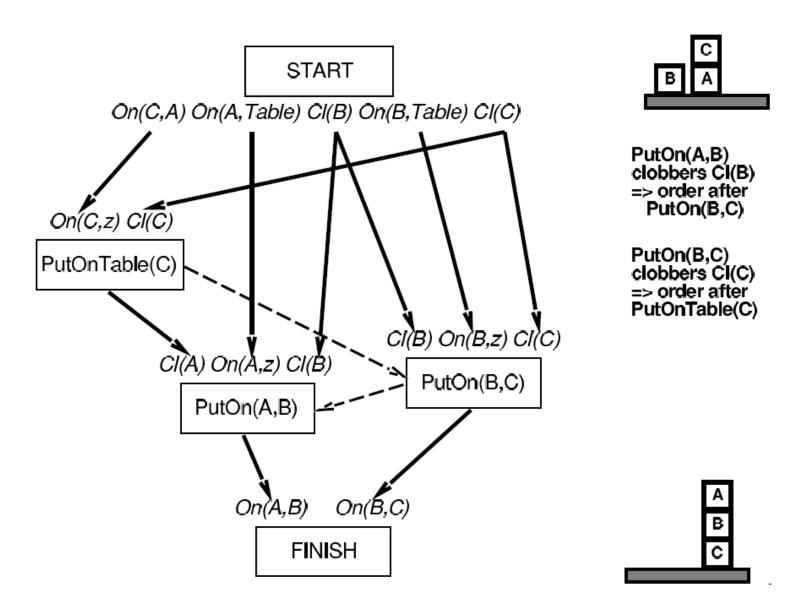


### **Example: Blocks World**



**Example: Blocks** 

World



# POP (Partial Order Planner) Algorithm Sketch

```
function POP(initial, goal, operators) returns plan plan \leftarrow \text{MAKE-MINIMAL-PLAN}(initial, goal)
loop do
if \text{SOLUTION}?(plan) \text{ then return } plan \qquad \% \text{ complete and consistent}
S_{need}, c \leftarrow \text{SELECT-SUBGOAL}(plan)
\text{CHOOSE-OPERATOR}(plan, operators, S_{need}, c)
\text{RESOLVE-THREATS}(plan)
end
```

```
function SELECT-SUBGOAL(plan) returns S_{need}, c

pick a plan step S_{need} from STEPS(plan)

with a precondition c that has not been achieved return S_{need}, c
```

# POP Algorithm (Cont'd)

```
choose a step S_{add} from operators or STEPS(plan) that has c as an effect if there is no such step then fail add the causal link S_{add} \stackrel{c}{\longrightarrow} S_{need} to LINKS(plan) add the ordering constraint S_{add} \prec S_{need} to ORDERINGS(plan) if S_{add} is a newly added step from operators then
```

**procedure** CHOOSE-OPERATOR(plan, operators,  $S_{need}$ , c)

add  $Start \prec S_{add} \prec Finish$  to ORDERINGS(plan)

add  $S_{add}$  to STEPS( plan)

### POP Algorithm (Cont'd)

procedure RESOLVE-THREATS(plan)

for each  $S_{threat}$  that threatens a link  $S_i \xrightarrow{c} S_j$  in LINKS( plan) do choose either

**Demotion:** Add  $S_{threat} \prec S_i$  to ORDERINGS(plan)

**Promotion:** Add  $S_i \prec S_{threat}$  to ORDERINGS(plan)

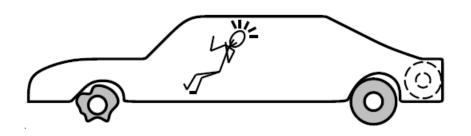
if not CONSISTENT(plan) then fail

end

- Non-deterministic search for plan, backtracks over choicepoints on failure:
  - Choice of  $S_{add}$  to achieve  $S_{need}$
  - Choice of promotion or demotion for clobberer
- Sound and complete
- There are extensions for:
  - disjunction, universal quantification, negation, conditionals
- Efficient with good heuristics from problem description
  - But: very sensitive to subgoal ordering
- Good for problems with loosely related subgoals

### **Properties of POP**

### The Real World



**START** 

~Flat(Spare) Intact(Spare) Off(Spare) On(Tire1) Flat(Tire1) On(x) ~Flat(x)

**FINISH** 

On(x)

Remove(x)

Off(x) ClearHub

Off(x) ClearHub

Puton(x)

On(x) ~ClearHub

Intact(x) Flat(x)

Inflate(x)

~Flat(x)

#### Incomplete information

- Unknown preconditions
- Example: Intact(Spare)?
- Disjunctive effects
- Example: Inflate(x) causes
- Inflated(x) ∨ SlowHiss(x) ∨ Burst(x) ∨ BrokenPump ∨ ...

#### Incorrect information

- Current state incorrect
- Example: spare NOT intact Missing/incorrect postconditions in operators

#### Qualification problem

 Can never finish listing all the required preconditions and possible conditional outcomes of actions

### **Things Go Wrong**

#### Conditional planning

- Plan to obtain information (observation actions)
- Subplan for each contingency
- Example:
  - [Check(Tire1), If(Intact(Tire1), [Inflate(Tire1)], [CallHelp])]
- Disadvantage: Expensive because it plans for many unlikely cases

### Monitoring/Replanning

- Assume normal states / outcomes
- Check progress during execution, replan if necessary
- Disadvantage: Unanticipated outcomes may lead to failure

### **Solutions**

#### Execution of conditional plan

- [...; If(p, [thenPlan], [elsePlan]), ...]
- Check p against current knowledge base, execute thenPlan or elsePlan

#### Conditional planning

- Just like POP except:
- If an open condition can be established by observation action
  - Add the action to the plan
  - Complete plan for each possible observation outcome
  - Insert conditional step with these subplans

### Conditional Planning

CheckTire(x)

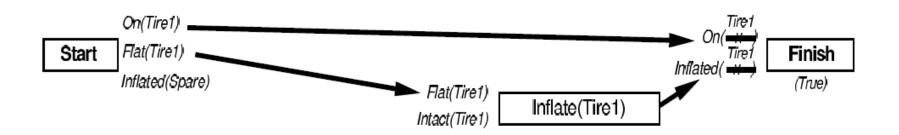
KnowsIf(Intact(x))

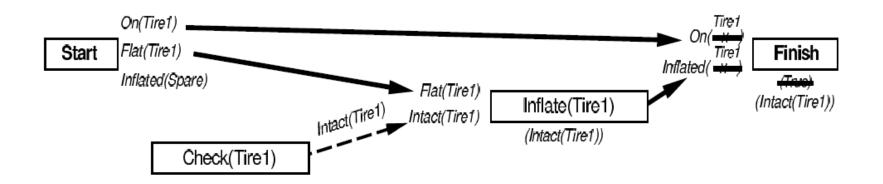
On(Tire1)

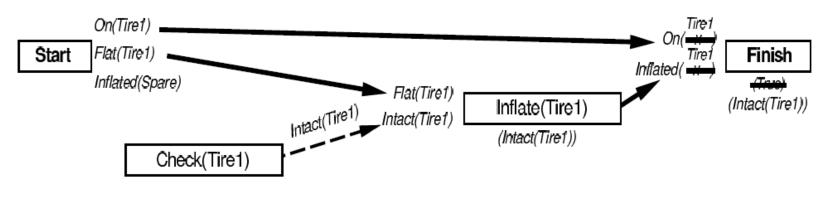
Start Flat(Tire1)

Inflated(Spare)

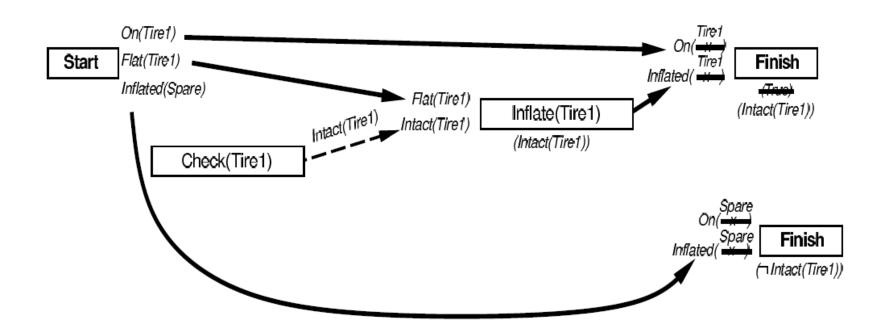
 $\begin{array}{c} \textit{On(} \ \textit{x} \ \textit{)} \\ \textit{Inflated(} \ \textit{x} \ \textit{)} \end{array} \hspace{1cm} \begin{array}{c} \textbf{Finish} \\ \textit{(True)} \end{array}$ 

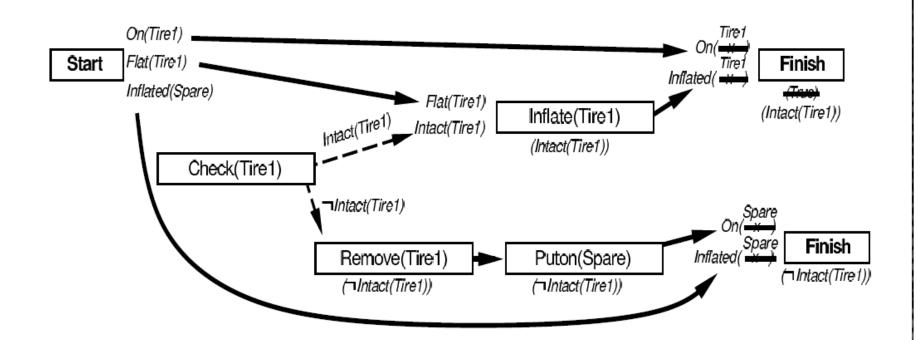






$$On(x)$$
Inflated(x)
Finish
(¬Intact(Tire1))





#### Execution monitoring

- Failure:
  - Preconditions of remaining plan not met

#### Action monitoring

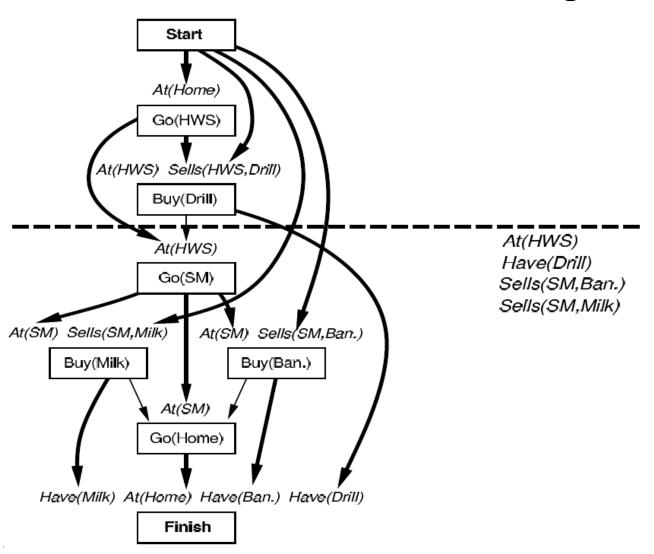
- Failure:
  - Preconditions of next action not met (or action itself fails, e.g., robot bump sensor)

#### Consequence of failure

Need to replan

### **Monitoring**

### Preconditions for Remaining Plan



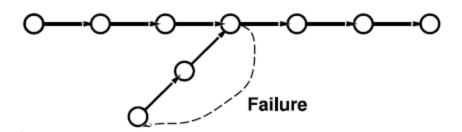
#### Simplest

On failure, replan from scratch

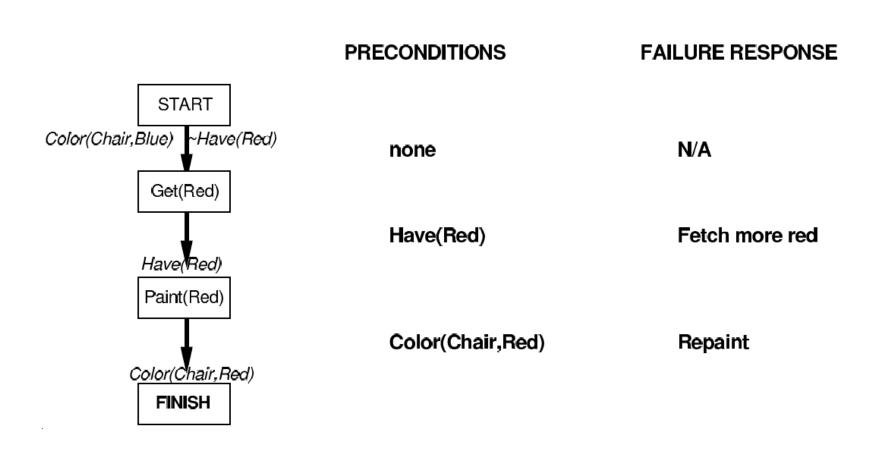
### Replanning

#### Better

Plan to get back on track by reconnecting to best continuation



### Replanning: Example



- Differs from general problem search; subgoals solved independently
- STRIPS: restricted format for actions, logic-based
- Nodes in search space are partial plans
- POP algorithm
- Standard planning cannot cope with incomplete/incorrect information
- Conditional planning with sensing actions to complete information; expensive at planning stage
- Replanning based on monitoring of plan execution; expensive at execution stage

### Summary Planning